

February 24, 2003  
Midterm Exam I  
EE 3302: Signals and Systems

NOTE: Please, complete the following table and keep record of your assignment number.

First Name	
Last Name	
Student ID	
Assignment #	0

**Exercise 1.** Consider the following discrete-time signal

$$x[n] = \cos(2\pi^2 n)$$

A) Determine whether or not  $x[n]$  is periodic. If it is, determine its fundamental period [pt. 10].

**Exercise 2.** Consider the continuous-time signal

$$x(t) = \begin{cases} 3 - t & 0 \leq t \leq 3 \\ 0 & \text{otherwise} \end{cases}$$

A) Sketch and label carefully  $x(3 - 2t)$  [pt. 10].

**Exercise 3.** A continuous-time LTI system has impulse response

$$h(t) = e^{ct} u(-t) \quad 0 < c < 1$$

where  $u(t)$  is the causal step function.

A) Determine whether or not the system is [pt. 10]:

- memoryless
- causal
- stable

**Exercise 4.** Consider the signal

$$x(t) = e^{ct} u(-t) \quad 0 < c < 1$$

where  $u(-t)$  is the causal step function.

A) Derive the energy and the time-averaged power of the signal over  $-\infty < t < \infty$  [pt. 10].

**Exercise 5.** Consider the discrete-time LTI system with impulse response

$$h[n] = \begin{cases} 2 & n = 0, 1, 2, 3 \\ 0 & \text{otherwise} \end{cases}$$

The signal at the system input is

$$x[n] = u[n] + \delta[n + 1]$$

where  $u[n]$  is the causal step function.

A) Derive the expression of the signal at the output of the system. Sketch the output signal [pt. 20].

**Exercise 6.** Consider the LTI system with the following input ( $x$ ) output ( $y$ ) relation

$$y(t) = \int_{-\infty}^{t+15} 2 x(\tau) d\tau$$

A) Calculate the impulse response of the system and determine whether or not the system is causal [pt. 18].

**Exercise 7.** Consider the continuous-time LTI system shown in Fig. 1, where the impulse responses of the

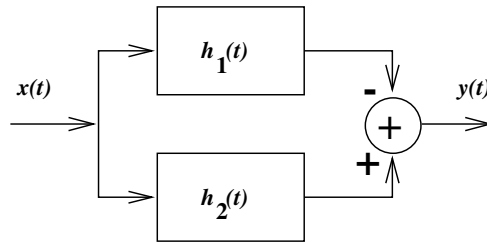


Figure 1: Parallel of two LTI subsystems.

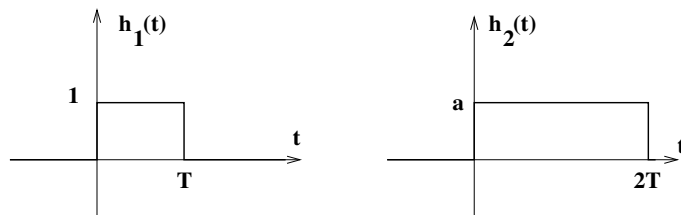


Figure 2: Impulse responses.

two subsystems are shown in Fig. 2.

A) Sketch and label carefully the response of the system  $y(t)$  to the input [pt. 22]

$$x(t) = \sum_{k=-\infty}^{+\infty} \delta(t - 2kT)$$